



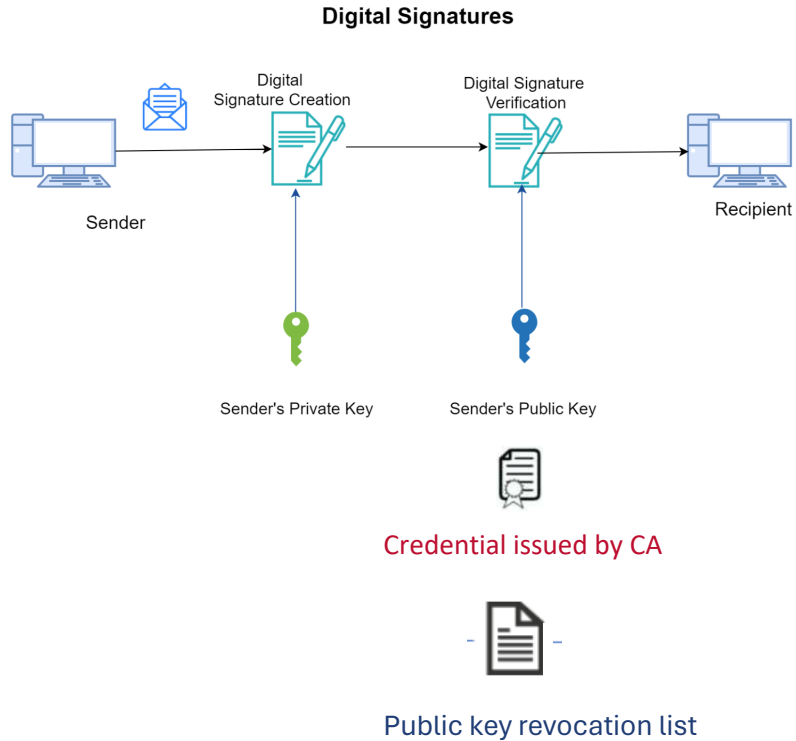
A New Hash-Based Enhanced Privacy ID Signature Scheme

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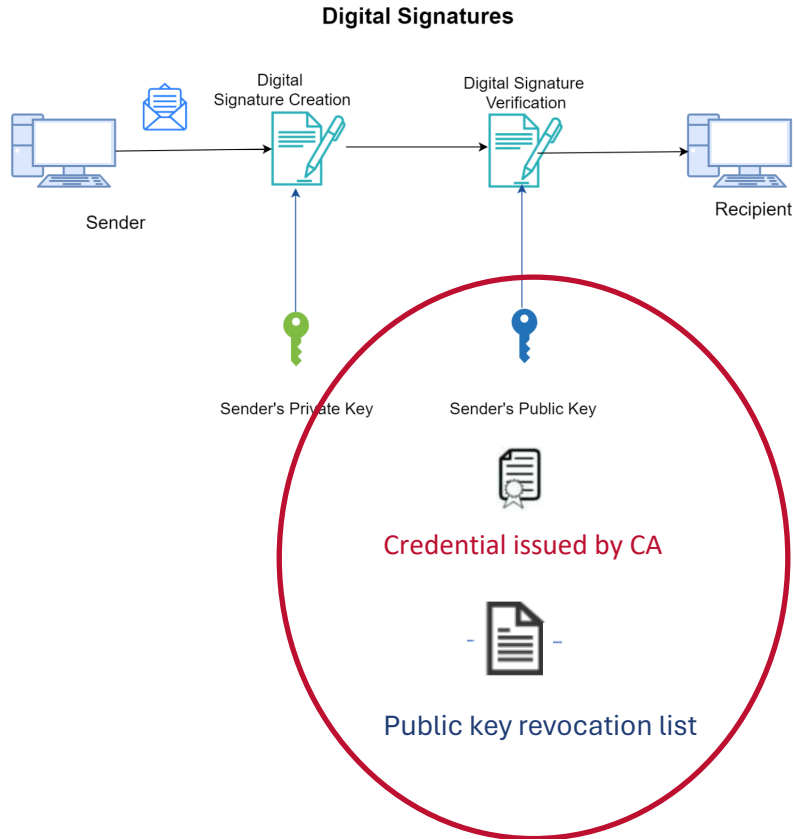
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EPID vs traditional signatures

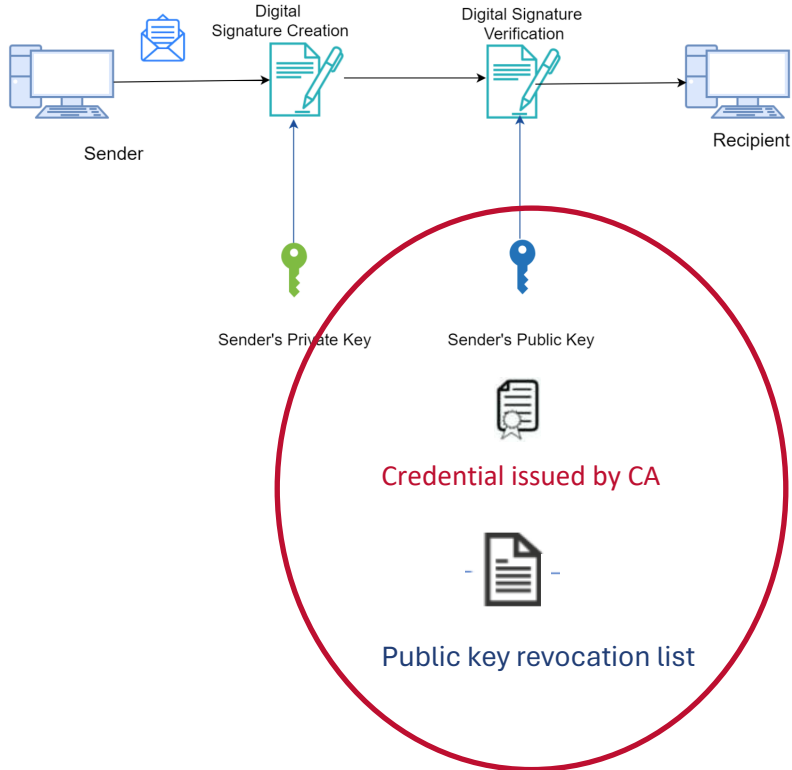


EPID vs traditional signatures

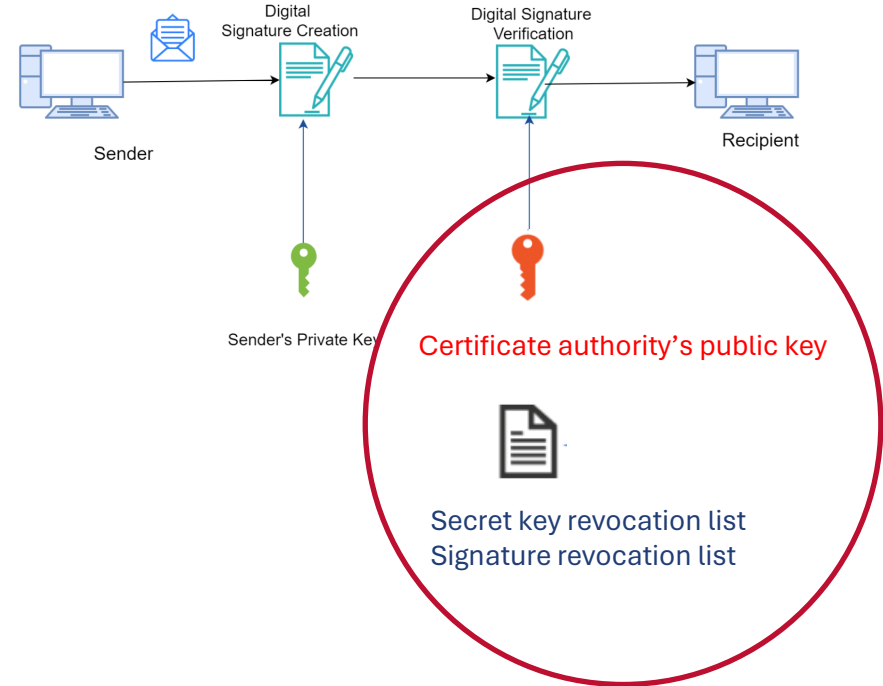


EPID vs traditional signatures

Digital Signatures



EPID signatures



EPID properties

- Unforgeability
 - Only authorised users can sign
 - A legitimate signer must be authenticated by a certificate authority
- Anonymity
 - Given a signature, the signer's public key and certificate are not revealed to the verifier
- Secret key revocation
 - Revealed secret keys are in a revocation list
 - If a signer's secret key is on the list, any signatures created using this key are rejected
- Signature-based revocation
 - Revoked signatures are on a revocation list
 - A signer is asked to prove their key was not used to sign any signatures in the revocation list

EPID – quotes from Intel

- A perfect example usage of Intel® EPID is to prove that a hardware device is genuine.
- Intel is providing the Intel® EPID SDK open source and encouraging device manufacturers to adopt it as an industry standard for device ID in IoT.
- Billions of existing devices, including most Intel® platforms manufactured since 2008, create signatures that need Intel® EPID verification.
- In 2016, Intel as a certified EPID Key Generation Facility, announced that it has distributed over 4.5 billion EPID keys since 2008.

EPID History & State-of-the-Art

- EPID was originally proposed by Brickell and Li in 2007
 - As a new DAA (direct anonymous attestation) scheme with enhanced privacy ID
 - The first EPID scheme was based on RSA
- ECC-based EPID
 - Included in TPM (Trusted Platform Module) version 2.0 specifications
 - Specified in ISO/IEC 20008 in 2013
- Lattice-based EPID
 - A small number of schemes
- EPID from symmetric primitives
 - By Boneh, Eskandarian and Fisch in 2019
 - In this work, we aimed to design a more efficient EPID scheme from symmetric primitives

Various Signatures from Symmetric Primitives

- Traditional signatures from symmetric primitives
 - Hash-based signatures
 - ❖ One-time signatures
 - ❖ Few-time signatures
 - ❖ Stateful signatures
 - ❖ Stateless signatures
 - Picnic-style signatures
 - ❖ Using a Non-Interactive Zero-Knowledge Proof (NIZKP) to prove a one-way function
- Anonymous signatures
 - Ring signatures
 - Group signatures
 - Direct anonymous attestation (DAA)
 - Enhanced Privacy ID (EPID)

Challenges to EPID from Symmetric Primitives

- Signature-based revocation
 - This is the performance bottleneck
- Group size – the level of anonymity
 - Many existing hash-based anonymous signatures use a Merkle tree to arrange group membership credentials, so the group size is small
 - We aim to have a big group size, up to 2^{60}
 - This is another challenge for performance
- Our responses
 - Separate the implementation of revocation from group membership proof to minimise their impact on each other

Our EPID scheme (I)

EPID signing



 Sender's private key

 - Signature revocation list (SRL)

 CA's public key

 Credential issued by CA

 Zero-knowledge proof of credential

 Zero-knowledge proof of not being revoked



F – a keyed pseudorandom function

sk_u – signer's private key

sid – signature ID

$sst = F(sk_u, sid)$ – signature signing token

$SRL = \{..., (sid_j, sst_j), ...\}$ – signature revocation list

Pick a nonce r , compute a NIZKP

$$\pi_R : \mathcal{P}\{(sid, sst, r, \forall_j (sid_j, sst_j) \in SRL, A_j); (sk_u) |$$

$$sst = F(sk_u, sid) \wedge \forall_j A_j = F(F(sk_u, sid_j), r)\}$$

A verifier can compute $B_j = F(sst_j, r)$.

If $A_j \neq B_j$, $sst_j \in SRL$ was not signed under sk_u .



To prove sk_u is certified and is used in $sst = F(sk_u, sid)$.

Our EPID scheme (II)



Use a modified SPHINCS+ as an EPID credential

- Modifying WOTS+
- Modifying FORS



Use a Picnic-style signature to provide NIZKP

- Masking all sensitive inputs and outputs
- Using a partial proof for a better performance



Chain two separate NIZKPs

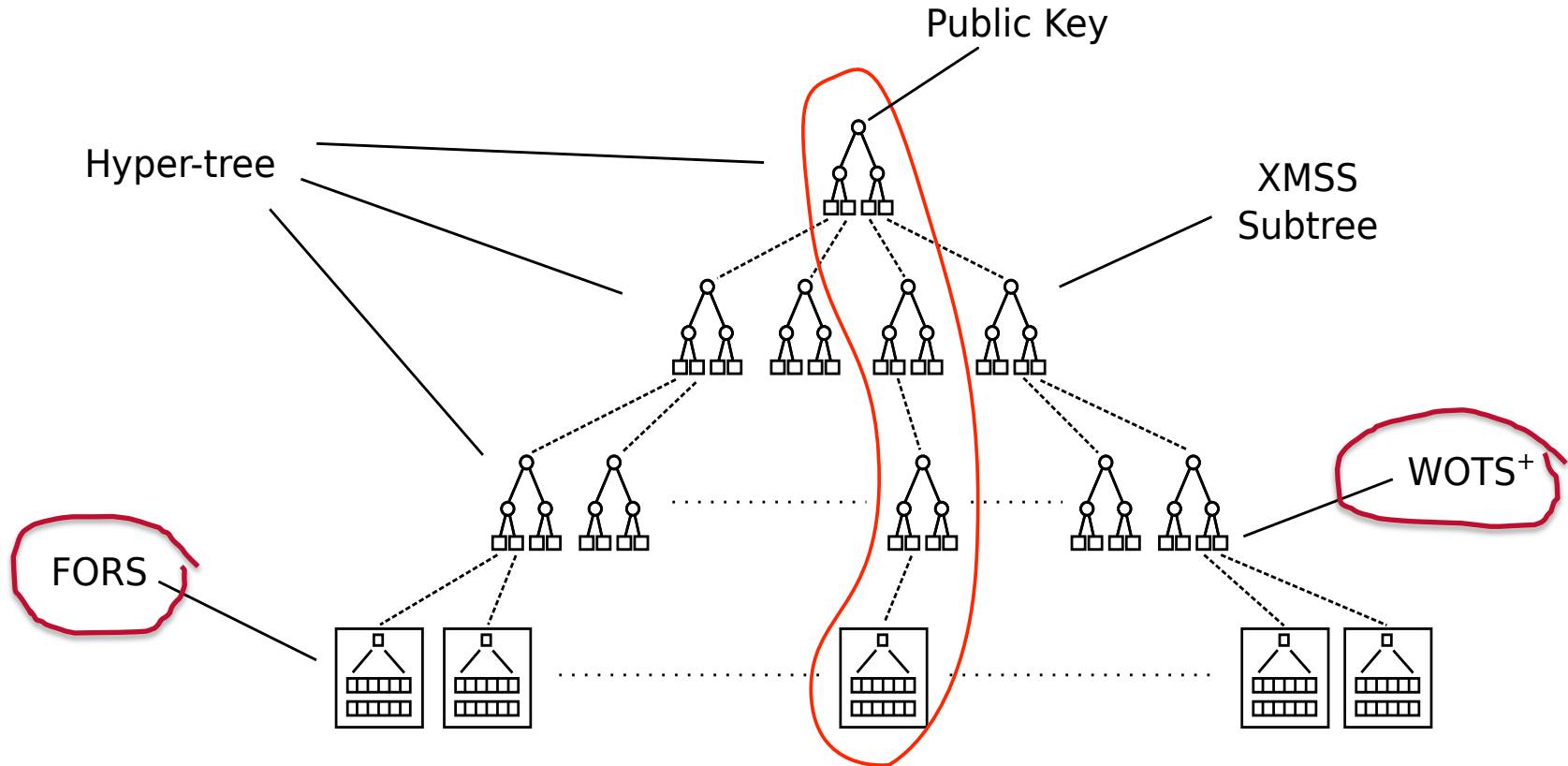


- Connecting the non-revoking proof with the credential proof

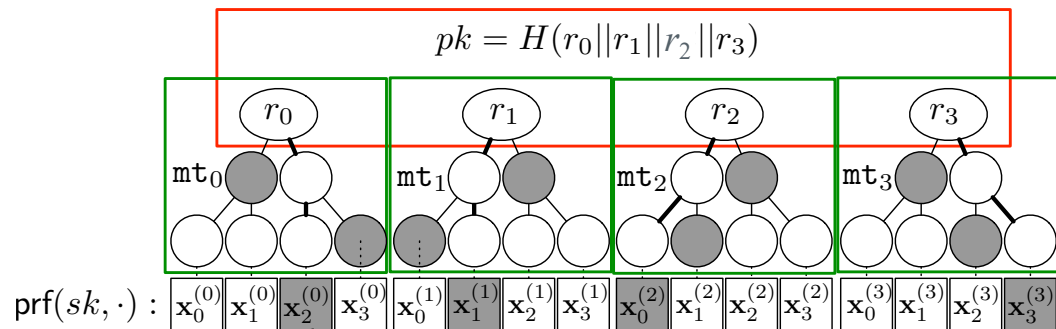


The security of our scheme was proved under the Universal Composability (UC) model

SPHINCS+



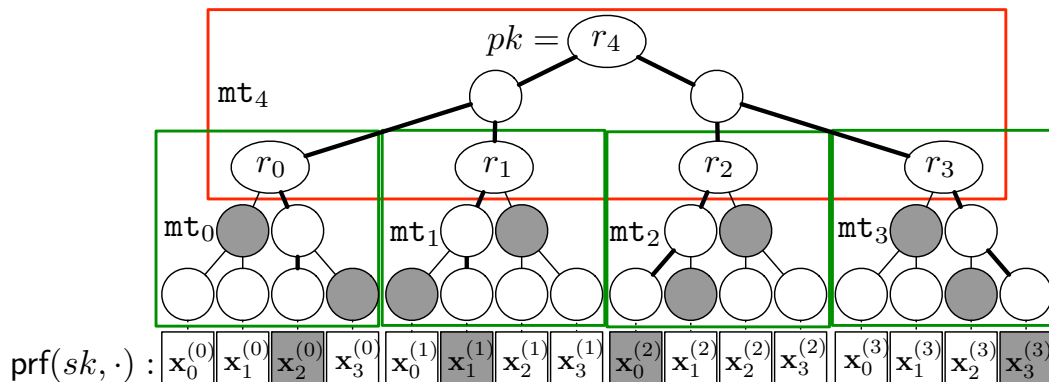
M-FORS (Modified FORS)



FORS

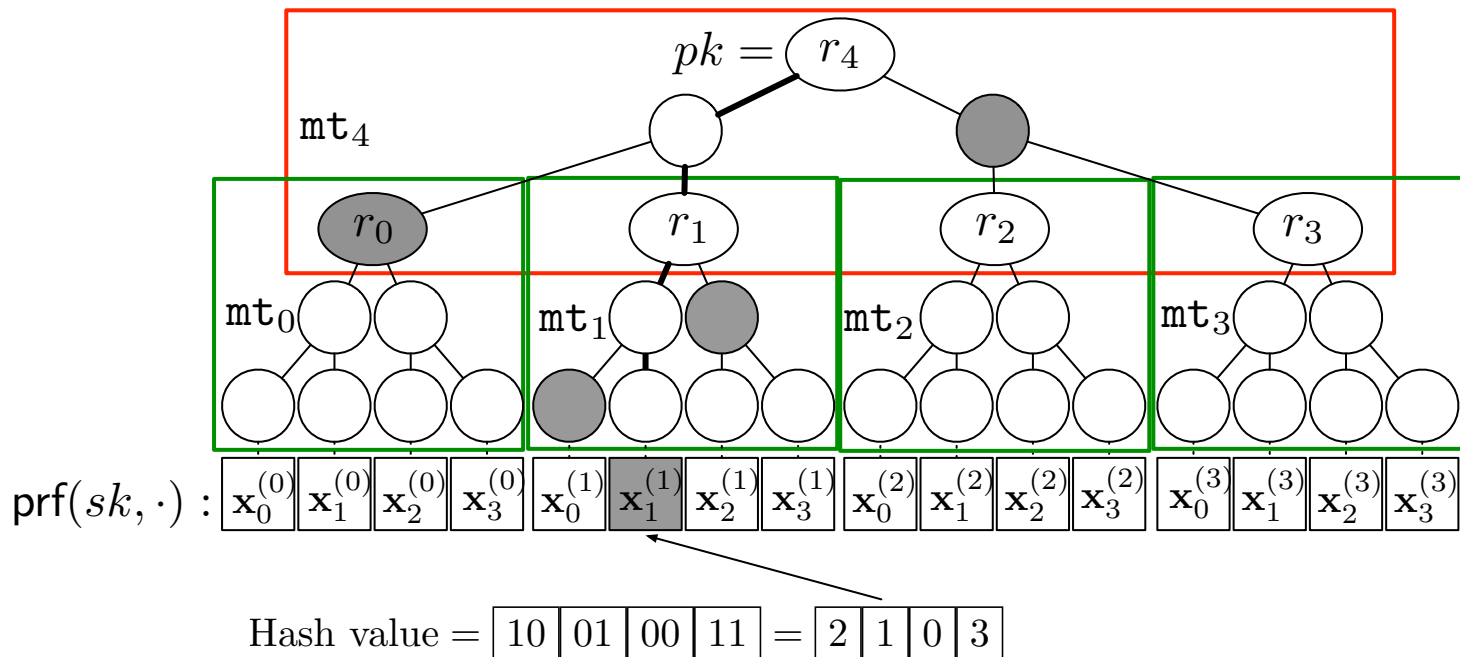
Hash value = $\begin{bmatrix} 10 & 01 & 00 & 11 \end{bmatrix} = \begin{bmatrix} 2 & 1 & 0 & 3 \end{bmatrix}$

M-FORS

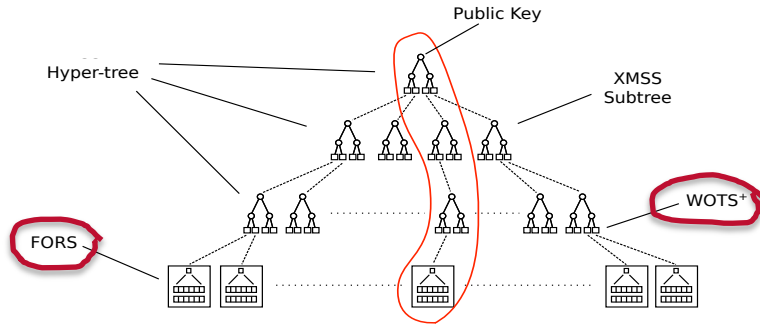


Hash value = $\begin{bmatrix} 10 & 01 & 00 & 11 \end{bmatrix} = \begin{bmatrix} 2 & 1 & 0 & 3 \end{bmatrix}$

M-FORS Partial Proof

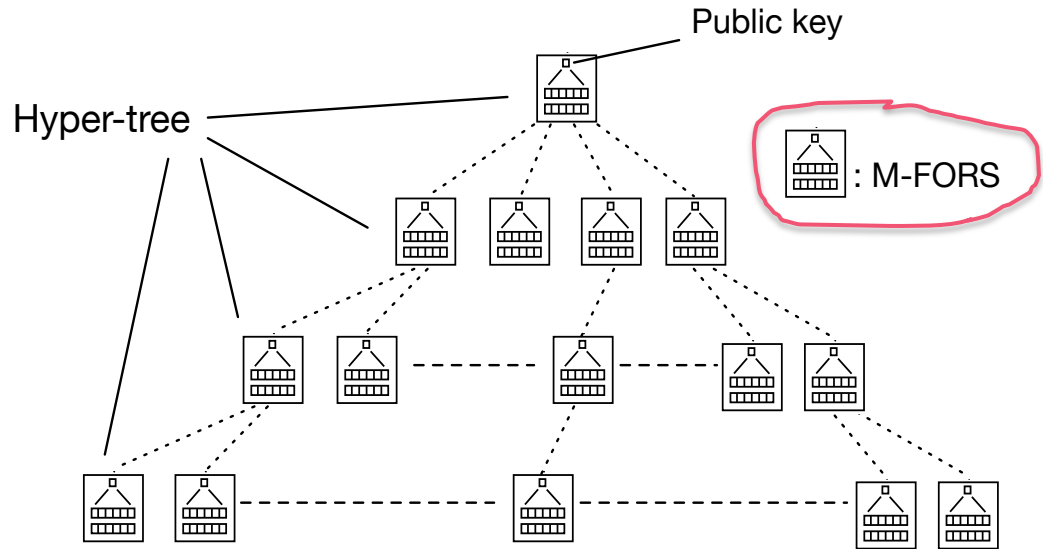


F-SPHINCS+ (Modified SPHINCS+)



SPHINCS+

F-SPHINCS+



Conclusions

- We propose a new EPID scheme from symmetric primitives
 - It can support a large group size of up to 2^{60}
 - It holds the EPID security properties under the UC model
- It makes use of three building blocks:
 - A hash-based signature as an EPID credential
 - A Picnic-style signature to prove the possession of that credential in a NIZK manner
 - An efficient NIZKP of not being revoked
- We have implemented our EPID scheme
 - Improving the performance will be possible if either a more efficient stateless hash-based signature scheme than F-SPHINCS+ or an efficient Picnic-style signature scheme is developed
- This work is still in its early stages

Thank you!
Questions?

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